## Power spectrum of scalar and tensor perturbations in Cuscuton bounce

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## Introduction

- Inflation is the current paradigm for the very early universe, but are there others?
- Bounce models generally violate the null energy condition (NEC) which can lead to instabilities or ghosts.
- One work-around to these problems is a Cuscuton bounce (Boruah, Kim, Geshnizjani 2017, Boruah et al. 2018) generated by Cuscuton gravity.
- This talk is based on [arXiv:2010.06645] (Kim, Geshnizjani 2020) which shows stability for solutions throughout the bounce, as well as consideration of various initial conditions.

## **Single-field Cuscuton bounce**

The action is given by:

$$S = \int d^4x \sqrt{-g} \left[ \frac{M_P^2}{2} R - \frac{1}{2} D_\mu \pi D^\mu \pi - \mu^2 \sqrt{-D_\mu \varphi D^\mu \varphi} - V(\varphi) \right].$$

where  $\varphi$  is the Cuscuton field and  $\pi$  is a canonical scalar field.  $\varphi$  has no dynamical degrees of freedom! No instabilities or ghosts!



Perturbation theory – assuming **adiabatic vacuum initial conditions**, both spectra are strongly blue.

$$\mathcal{P}_{k}^{\zeta_{k}}(\tau_{f}) = \frac{k^{3}}{2\pi^{2}M_{p}^{2}} \frac{|v_{k}(\tau_{f})|^{2}}{z^{2}(\tau_{f})}, \quad \mathcal{P}_{k}^{\gamma_{p}}(\tau_{f}) = \frac{k^{3}}{2\pi^{2}} \frac{|2v_{p}(k,\tau_{f})|^{2}}{M_{p}^{2}} \frac{|2v_{p}(k,\tau_{f})|^{2}}{z^{2}(\tau_{f})}$$



Add another field  $\chi$ , action becomes

$$S = \int d^4x \sqrt{-g} \left[ \frac{1}{2} R - \frac{1}{2} D_\mu \pi D^\mu \pi - \frac{1}{2} F(\dot{\pi}) D_\mu \chi D^\mu \chi - \mu^2 \sqrt{-D_\mu \varphi D^\mu \varphi} - V(\varphi) \right],$$

The coupling function is taken to be  $F(\dot{\pi}) = \rho_m / (\Lambda M_P^2)$  where  $\Lambda$  is a free parameter. Perturbation theory gives:

$$u_k'' + \left(k^2 - \frac{q''}{q}\right)u_k = 0, \quad \mathcal{P}_k^{\delta\chi}(\tau_f) = \frac{k^3}{2\pi^2} \frac{|u_k(\tau_f)|^2}{M_p^2 q(\tau_f)^2}$$

## This results in a scale-invariant power spectra both before and after the bounce.



- Scale-invariance in single field Cuscuton bounce is hard
- However, adding another specatator field can produce scale-invariant entropy perturbations.
- Future work:
  - Converting entropy perturbations into adiabatic ones
  - How do we get a tilt in our power spectrum?
  - Other observational features of Cuscuton bounce
- Please see poster [KIAS Poster] or paper [arXiv:2010.06645] for more details.
- Thank you!